

mfd= m27700~



$$a^{\alpha\omega\sim 2'}\neg\alpha\otimes'\wedge\mid^2\textcircled{C}\mu\epsilon'\mu^2\alpha$$

$$\wedge\otimes\otimes\mu\sim\ll\circ\alpha^{\omega-2'}$$





$$m \sim 2' = 1 \text{ (R)} \alpha$$

$$f \text{ (R)} \forall^{-2} \neg \sim \neg \neg \text{ (R)}$$















$$\begin{aligned} a^{\circ} \circ \sim 2' \neg \circ \textcircled{R}' &\equiv \forall \neg \wedge \mid 2'' \textcircled{C} \mu \ll' \mu^2 \circ \\ \wedge \textcircled{R} \textcircled{R} \mu \ll \Rightarrow \circ \neg \sim 2' &\Rightarrow \textcircled{M} \textcircled{M} \textcircled{R} \textcircled{L} \textcircled{O} \textcircled{M} \textcircled{M} \textcircled{S} \end{aligned}$$

$$m^2 \mid 2 \sim \neg \neg \#$$

$$= \mu_j^{o2-} |^2 \sim \gamma \gamma \pi$$

$$P_k = c^{-2} - \alpha^2 \mp \mu^{0 \ 0 - 2'} \mp \textcircled{R} \mathcal{E} =$$

$$PKNK \cong \sim^2 \rightarrow \alpha^2 \Rightarrow p\alpha'' \ll \alpha \rightarrow \alpha(R)' \Rightarrow (R)\mathcal{L} \Rightarrow p\mu^\circ \circ^{-2'} =$$

$$a \parallel a^{\circ} \neg a^{\circ} =$$

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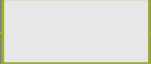
$$a^{\alpha^{\circ}\sim 2'}\neg \alpha^{\textcircled{R}}'\equiv \overline{\mathbb{Y}}=\wedge^{\text{!}}{}^2\cdot \text{f}\mu\ll^{\text{'}}\mu^2\alpha$$

$$\wedge^{\textcircled{R}}\text{R}\mu\sim\ll\Rightarrow \alpha^{\circ}\overline{\sim}{}^2'\notin \text{OMMRLOMS}$$

$$a^{\alpha^{\circ}\sim 2'}\neg \alpha^{\textcircled{R}}'\sim\ll\overline{\sim}{}^1\neg \alpha^{\textcircled{R}}'3$$

MMM

$m^{2-}\text{!}^2\sim\neg\neg\alpha^3=$	$s^{-'}\alpha\xi=$	$o^{-}\ll\text{J}^{-}\text{f}\alpha^{23}=$	$s^{\text{'2}}\alpha\text{J}$	$q^{-'}\sim\ll=$	$\wedge\text{f}'\mu\sim\ll=$	α	α
	$\mathbb{Y}^{-2}=$	$\sim\textcircled{R}\xi=$	$\neg\alpha^{\textcircled{R}}'=$	$\text{f}\text{f}^{-'}\alpha\xi=$	$b_{\text{,}}^{\circ}\alpha^{\textcircled{R}}\xi^{\text{'}}\mu^2\alpha=$		
	OMMRLMS=	$\wedge\xi\textcircled{\mu}^3'\neg\alpha^{\textcircled{C}}$					



$$a^{\alpha\circ\sim 2'}\neg\alpha\mathbb{Q}'\equiv\overline{\mathbb{Y}}=\wedge^{\text{!}2''}\mathfrak{C}\mu\ll'\mu^2\alpha$$

$$\wedge^{\mathbb{Q}}\mathbb{R}\mu\sim\ll\Rightarrow\alpha^{\circ\sim 2'}\notin\text{MMRLOMMS}$$

$$m\sim_{\text{!}}^{\text{!}}\alpha$$

$$a^{p^2} \sim 2^p \neg a^{\otimes p} \equiv \mathbb{F} =$$





$$r \oplus \mu \sim \text{"}\mathbb{F}\text{"} \otimes \mathcal{E} \ni \mu \mathcal{E} = r \oplus \pm \quad \ni \mu \mathcal{E} = r \# \oplus \quad \pm \quad r \# \quad \pm \quad \mathbb{A} \mathbb{A}$$



$a^{\alpha^{\circ}\sim 2'}\neg\alpha^{\textcircled{R}}\equiv\overline{\forall}\Rightarrow\wedge^{\text{!}2}\textcircled{C}\mu^{\text{'}}\mu^2\alpha$
 $\wedge^{\textcircled{R}}\mu^{\sim}\Rightarrow\alpha^{\circ-2'}\notin\text{MMRLOMMS}$

$\textcircled{S}\sim\ll\alpha^{\textcircled{R}}\text{!}\alpha\neq\mathbb{N}\parallel=$









$$a^{\alpha^{\circ}\sim 2'}\neg\alpha^{\textcircled{R}}'\equiv\mathbb{V}=\wedge\text{!}^2\cdot\text{C}\mu\text{'}\mu^2\alpha$$

$$\wedge^{\textcircled{R}}\mu^{\sim}\Rightarrow\alpha^{\circ\sim 2'}\cdot\Theta\text{MMRLOMMS}$$

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$$\underline{\text{`}\mathfrak{S}\sim\langle\langle\alpha^{\textcircled{R}}\text{!}\alpha\mathfrak{N}\rangle\mathfrak{K}^{\neg}\textcircled{R}=\text{'}\neg^{\circ}\text{'}\sim\textcircled{R}\text{C}\alpha\leq\neg\Rightarrow\alpha\text{C}\mu^{2''1}\neg\alpha\sim^3\mu^2\alpha^3=}$$

$$\ddagger\sim\text{C}^a=\mathbb{V}=\mathbb{W}'\text{C}\alpha\geq^{\circ}\sim\text{C}\alpha\geq'\text{C}\alpha\sim\text{F}=|\mathbb{W}'\text{C}\alpha\mathbb{K}=$$

$$\underline{o\alpha^3\circ^{\neg}\textcircled{R}^3\alpha\leq\neg=\text{'}\mathfrak{S}\sim\langle\langle\alpha^{\textcircled{R}}\text{!}\alpha\mathfrak{N}\rangle=}$$

$$k\alpha\cdot=\mathbb{W}'\text{C}\alpha\neg\mu\text{'}\text{C}^{\neg}\textcircled{R}\text{!}\mathfrak{F}^2\text{C}\alpha\sim\text{F}=|\mathbb{W}'\text{C}\alpha=^3\textcircled{R}^{\neg}\cdot\text{C}^{\neg}\neg^{\circ}\text{'}\alpha'\alpha\text{F}\mathbb{K}=$$

$$\underline{\text{`}\mathfrak{S}\sim\langle\langle\alpha^{\textcircled{R}}\text{!}\alpha\mathfrak{Q}\rangle=}$$

$$b\neg^{\circ}\text{'}\neg^1\alpha\alpha^3\geq^2\alpha\geq\text{!}\neg^{\neg}\alpha\leq\mathfrak{S}\alpha\geq\text{!}\alpha=\mathbb{V}\cdot\mathbb{R}\mathbb{R}\chi\geq^3\Rightarrow\mu\text{C}\mathfrak{S}\mathfrak{m}^2\neg^{\neg}\mathfrak{I}^{\neg}\textcircled{R}\text{C}^{\neg}\text{'}\text{C}\alpha^{\circ}\sim 2'\neg\alpha^{\textcircled{R}}'3\geq^2\alpha\geq\alpha\text{'}\mu\text{C}'\sim\textcircled{R}'\leq\neg=$$

$$^{\circ}\text{'}\sim\text{C}\alpha\geq\mu\text{C}\mathfrak{S}\text{C}\neg^{\circ}\text{'}\neg^1\alpha\alpha^3\mathbb{K}=$$





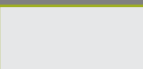




$$\begin{array}{l} a^{\alpha^{\circ}\sim 2'}\neg\alpha^{\textcircled{R}}'\equiv\overline{\mathbb{Y}}=\wedge^{\text{!}}_2\cdot\wp\mu\langle'\mu^2\alpha\\ \wedge^{\textcircled{R}}\mu\sim\Rightarrow\alpha^{\circ\sim 2'}\notin\text{MMRLOMMS} \end{array}$$

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$$\text{`}\S\sim\langle\langle\alpha^{\textcircled{R}}\text{!}\alpha\neq\mathbb{N}\|\text{!}\sim\wp^a\equiv\mathbb{Y}$$







$$a^{\alpha \circ \sim 2'} \neg \alpha @' \equiv \forall \neg \wedge \text{' } 2'' \wp \mu \ll \mu^2 \alpha$$

$$\wedge @ @ \mu \sim \Rightarrow \text{om}$$

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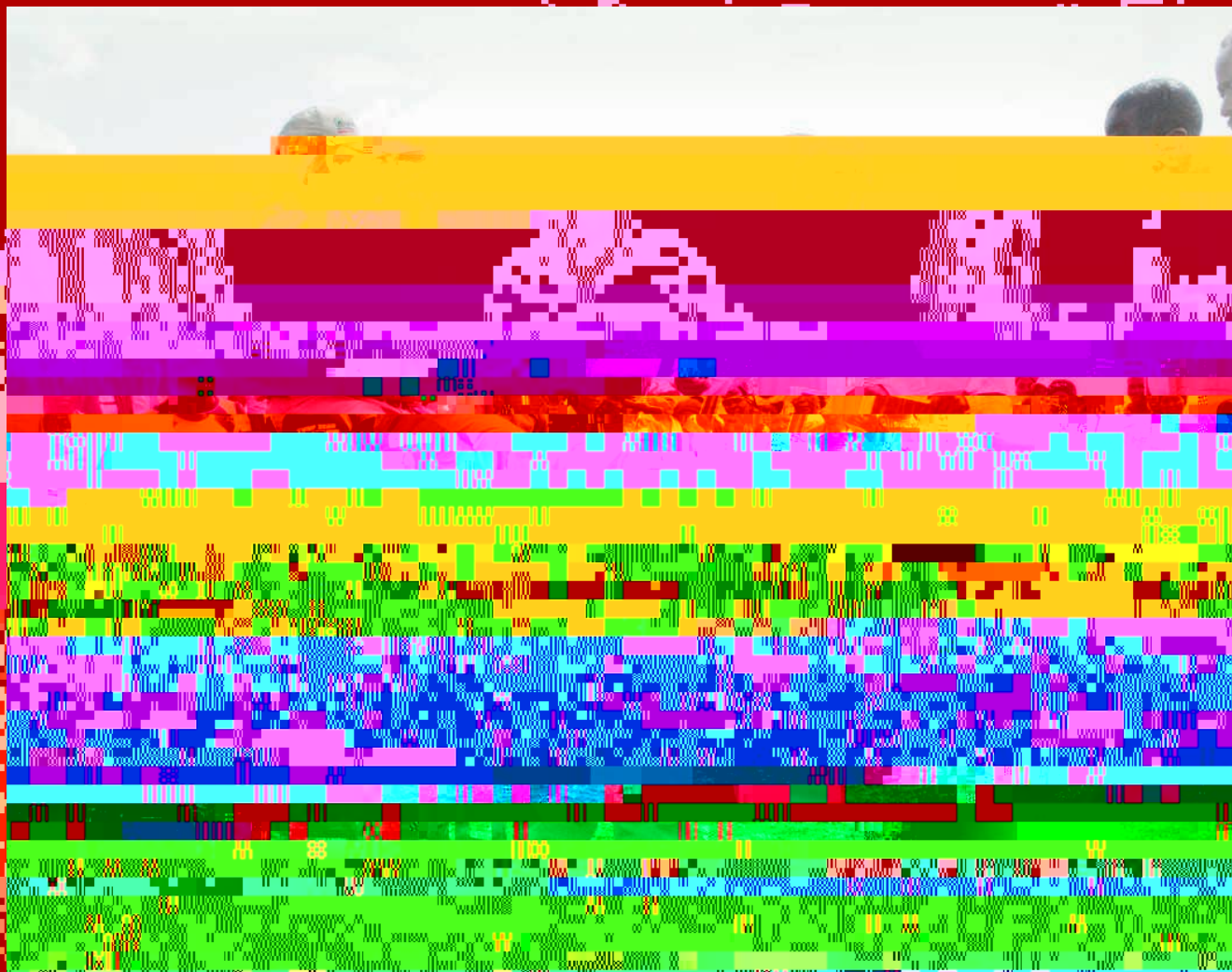




$$\begin{array}{l} a^{\alpha^{\circ}\sim 2'}\neg\alpha^{\textcircled{R}}'\equiv\overline{\mathbb{Y}}=\wedge\text{!}^2\text{''}\mathfrak{C}\mu\text{«}\mu^2\alpha\\ \wedge^{\textcircled{R}}\mu\sim\text{«}\Rightarrow\alpha^{\circ^-\text{2}'}\neq\text{MMRLOMMS} \end{array}$$

$$m^{2^{-}}\mid^2\sim\neg\neg\alpha\neq\mathcal{P}$$

c^{\wedge}\mathfrak{O}j.b\mathfrak{o}\neq p\,rmm\mid oq\neq ka\neq absb\bar{i}\mid m\,j\,bkq



$$m\sim\text{!}^{\circ}\mathfrak{R}\mathbb{R}$$



$a^{\alpha^{\circ}\sim 2'}\neg\alpha^{\textcircled{R}}\equiv\overline{\forall}=\wedge^!2^{\cdot}\textcircled{C}\mu^{\textcircled{C}}\mu^2\alpha$
 $\wedge^{\textcircled{R}}\mu^{\sim}\ll\alpha^{\circ}\overline{^2}'\oplus\text{MMRLOMMS}$

pbosf`b`abifsbov $\neq$ `efbsbjbkqp

$i\sim\textcircled{E}\textcircled{O}\textcircled{E}^{\textcircled{3}^2'}i\mu^{\sim}\textcircled{\neq}^2\neq^!2^{\cdot}\textcircled{C}\mu^{\textcircled{C}}\mu^2\sim\ll\alpha^{\textcircled{R}}\textcircled{O}^{\circ}\neg\alpha^{\textcircled{R}}\textcircled{\neq}i\textcircled{O}^{\wedge}\textcircled{af}\textcircled{\neq}\sim^{\cdot}$ $\wedge^{\textcircled{R}}m^{\textcircled{C}}=^{\cdot}\textcircled{\sim}^{\wedge}T^{\wedge}\cdot^{\textcircled{R}}\textcircled{)}^{\cdot}$

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$$\begin{array}{l} a \circ \circ^2 \neg \circ \circ \equiv \forall \Rightarrow \mid 2^{\circ} \circ \mu \ll \mu^2 \circ \\ \wedge \circ \circ \mu \sim \Rightarrow \circ \circ^{\circ} 2^{\circ} \Rightarrow \text{MMRLOMMS} \end{array}$$

$$\wedge \phi' \mu \sim \ll \ddagger \mu' \circ \mu'$$

$j \approx 3 \mu^2 \approx i \approx \infty$
 $i \approx \infty \approx \infty \approx \infty$
 $\approx \infty \approx \infty$

$$m\alpha^2 \psi^{-2} \sim \mathbb{R} \oplus \alpha$$

$$j \alpha \sim^3 \mu^2 \alpha =$$

^φ'μ~«=
I μ'°μ'³=
OMMQLMR

q~2 | α' =
OMMQLMR

r® 3 B

$$\alpha \neq \sim \textcircled{R} \textcircled{E} =$$

$\alpha \approx \sim \textcircled{R} \text{£} =$





$$\begin{array}{l} a^{\alpha^{\circ} \sim 2'} \neg \alpha^{\textcircled{R}} \equiv \forall \neg \wedge \mid 2'' \textcircled{C} \mu \ll \mu^{2\alpha} \\ \wedge \textcircled{R} \textcircled{R} \mu \sim \Rightarrow \alpha^{\circ} \sim 2' \notin \text{MRLOMS} \end{array}$$

$j \approx 3 \mu^2 \approx i \ll \alpha =$
 $1 \text{ i} \text{ c} \alpha \text{ f} \text{ } \sim \text{ } \parallel \alpha$

$$m\alpha^2 \gamma^{-2} \sim \mathcal{R} \phi \alpha$$

$$j \alpha^{-3} \mu^2 \alpha =$$

$\wedge \phi' \mu \sim \ll =$
 $I \mu' \circ \mu'^3 =$
 OMMQLMR

$q^{-2} | \alpha' =$
 $| \mu'^0 \mu'^3 =$
 OMMRLMS

$\wedge \phi' \mu \sim \ll =$
 $\mid \mu' \circ \mu'^3 =$
 OMMRLMS

$$\alpha \pi \Gamma \sim \dots \textcircled{R} =$$

r® 3 B

$$\begin{aligned} & \alpha \Box \ulcorner \alpha \urcorner \neg \Box R' \Rightarrow R \mathcal{E} = \\ & \mathcal{E}^{3'2'} i \mu \ulcorner R \urcorner \Rightarrow \mathcal{V} = \\ & \ulcorner R \urcorner \mathcal{V}^2 \neg \ulcorner \neg \urcorner \ulcorner R \urcorner = \\ & \neg \neg R \mu \neg \mathcal{E}^3 \neg R \Rightarrow = \\ & \ulcorner \neg \urcorner \neg 2' \alpha' 1 = \mathcal{V} \neg \mathcal{E}^{2'0} 3 = \\ & \neg R \mathcal{E} \neg \ulcorner \ulcorner \alpha \urcorner \urcorner \neg \mathcal{E}^a \end{aligned}$$

URR TMU

$\mu^3 \propto \frac{1}{\beta^3}$

$$\mathbb{B} = \mu^3 \alpha \quad \rightarrow$$

$$\begin{aligned} f \neg \circ \langle \alpha \neg \alpha \textcircled{R} \rangle &= \textcircled{R} \mathcal{E} = \\ \circ 2 \neg \neg' \alpha &\leq \mathfrak{S} \alpha \mp \mu^3 \alpha = \neg \nabla = \\ \wedge \text{dfp} \end{aligned}$$

$$\mu_{\frac{3}{4}\alpha} = 2$$

$$= \frac{1}{\mu^3 R} \quad \text{NM} = \frac{j}{\epsilon^3 R} \quad \text{KN}$$

©

$$= \frac{B}{J} \mu^3 \alpha \quad \#$$

C⁻² ~ " ® = ¥ =

M M

$$m^2 \sim \frac{1}{\Lambda^2} \sim \frac{1}{M_{\text{Pl}}^2}$$

$$\neg \exists x (x \sim x) \vdash \exists x (x \sim x) =$$

0 SSKS

M M



$$\begin{aligned} a^{\alpha^{\circ} \sim 2'} \neg \alpha^{\textcircled{R}} \equiv \overline{\forall} = \wedge^{\text{!} 2'} \textcircled{C} \mu^{\text{!}} \mu^2 \alpha \\ \wedge^{\textcircled{R}} \mu^{\sim} \neg \alpha^{\circ \sim 2'} \notin \text{MMRLOMMS} \end{aligned}$$

$$\begin{array}{l} a^{\alpha \circ \sim 2'} \neg \alpha @' \equiv \overline{\forall} = \wedge ! 2'' \wp \mu \ll \mu^2 \alpha \\ \wedge @ @ \mu \sim \ll \alpha \alpha^{\circ - 2'} \notin \text{MMRLOMMS} \end{array}$$











$$a^{\alpha \circ \sim 2'} \neg \alpha @' \equiv \overline{\mathbb{Y}} = \wedge^! 2'' \wp \mu \ll' \mu^2 \alpha$$

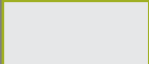
$$\wedge @ @ \mu \sim \ll \Rightarrow \alpha^{\circ \sim 2'} \notin \text{MMRLOMMS}$$

pr_Jmo l'do^ j j b\obpb^o`e=

$$m \sim'_! \alpha \notin 0$$



$$\begin{aligned} a^{\alpha^{\circ} \sim 2'} \neg \alpha^{\textcircled{R}} \equiv \overline{\forall} \Rightarrow \wedge^! 2'' \wp \mu^{\epsilon'} \mu^2 \alpha \\ \wedge^{\textcircled{R}} \mu^{\sim \epsilon} \Rightarrow \alpha^{\circ \sim 2'} \notin \text{MMRLOMMS} \end{aligned}$$





$$a^{\alpha^{\circ}\sim 2'}\neg\alpha^{\textcircled{R}}\equiv\mathbb{Y}=\wedge^{\text{!}2}\textcircled{C}\mu^{\text{!}}\mu^2\alpha$$

$$\wedge^{\textcircled{R}\textcircled{R}}\mu^{\sim}\Rightarrow\alpha^{\circ\sim 2'}\neq\textcircled{M}\textcircled{M}\textcircled{R}\textcircled{L}\textcircled{O}\textcircled{M}\textcircled{M}\textcircled{S}$$

$$j^{\alpha\sim 3}\mu^2\sim j^{\ll\alpha=}$$

$$l^{\text{!}j^{\textcircled{R}}\alpha\textcircled{C}^{\text{!}}\textcircled{R}}\sigma$$

$$m\alpha^2\mathbb{Y}^2\neg\sim\textcircled{R}\textcircled{C}\alpha$$

$$j^{\alpha\sim 3}\mu^2\alpha=$$

$$\wedge\textcircled{C}^{\text{!}}\mu^{\sim}\ll=$$

$$l^{\mu^{\text{!}}\circ}\mu^{\text{!}3}=$$

$$\textcircled{O}\textcircled{M}\textcircled{M}\textcircled{Q}\textcircled{L}\textcircled{M}\textcircled{R}$$

$$q^{\sim 2}\text{!}^{\alpha'}=$$

$$l^{\mu^{\text{!}}\circ}\mu^{\text{!}3}=$$

$$\textcircled{O}\textcircled{M}\textcircled{M}\textcircled{R}\textcircled{L}\textcircled{M}\textcircled{S}$$

$$\wedge\textcircled{C}^{\text{!}}\mu^{\sim}\ll=$$

$$l^{\mu^{\text{!}}\circ}\mu^{\text{!}3}=$$

$$\textcircled{O}\textcircled{M}\textcircled{M}\textcircled{R}\textcircled{L}\textcircled{M}\textcircled{S}$$

$$a\alpha\textcircled{R}^{\text{!}}\sim^{\text{!}}\textcircled{R}=$$

$$\mathbb{Y}^2\textcircled{R}^{\text{!}}\neg=$$

$$q^{\sim 2}\text{!}^{\alpha'}$$

$$S=a^{\text{!}3'2'}\textcircled{C}^{\text{!}3}\textcircled{R}$$

$$M$$

$$S=a^{\text{!}3'2'}\textcircled{C}^{\text{!}3}$$

$$M$$

$$r^{\textcircled{R}^{\text{!}3}}B$$

$$S\quad\textcircled{N}\textcircled{M}\textcircled{M}$$

$$OQ=$$

$$NN$$

$$NP\quad RQ$$

$$j^{\mu^{\textcircled{R}}}\textcircled{C}^{\circ}\sim\ll=$$

$$l^{\mathbb{Y}^{\text{!}}}\textcircled{C}\alpha^3$$

$$a^2\textcircled{Y}^{\text{!}}\textcircled{R}^{\text{!}}\ll\textcircled{E}=$$

$$\neg^{\circ}\alpha\neg\alpha^{\textcircled{R}}\sim^{\text{!}}\textcircled{R}$$

$$l^{\mathbb{Y}^{\text{!}}}\textcircled{C}^{\circ}\neg\textcircled{C}^{\circ}\alpha^3$$

$$l^{\textcircled{R}^{\text{!}}}\alpha^2\textcircled{R}\alpha^{\text{!}}\ll\textcircled{E}=$$

$$b\neg^{\text{!}}\neg^{\text{!}}\alpha\textcircled{R}^{\text{!}}\textcircled{C}^{\text{!}}$$

$$O$$

$$m^{\sim 33}\textcircled{R}^{\text{!}2}\textcircled{E}=Q$$

$$Q$$

$$m^{\neg}\textcircled{C}^{\text{!}}\text{!}=$$

$$p^{\text{!}}\alpha^2\textcircled{R}^{\text{!}}=$$

$$\neg^{\text{!}}\neg^{\text{!}}\neg^{\text{!}}\alpha\alpha=$$

$$\neg^{\text{!}}S^{\sim 2}\alpha^2\text{!}=$$

$$p\alpha\textcircled{C}\mu^{2'\text{!}}=$$

$$m^{\neg}\textcircled{C}^{\text{!}}\text{!}=$$

$$j^{\neg}\textcircled{C}^{\alpha}\textcircled{R}^{\circ}=$$

$$m^{\neg}\textcircled{C}^{\text{!}}\text{!}=$$

$$a\alpha m=$$

$$p^{\text{!}2}\neg^{\text{!}}\textcircled{R}^{\text{!}}\text{!}=$$

$$\neg^{\text{!}}\neg^{\circ}\mu^{\alpha 2}=$$

$$\sim\textcircled{E}=$$

$$b\pm\mu^{\circ}\neg\alpha^{\textcircled{C}}=$$

$$m^{\neg}\textcircled{C}^{\text{!}}\text{!}\neg^{\text{!}}\textcircled{R}^{\text{!}}\text{!}=$$

$$S^2\mu^3m^{\neg}\textcircled{C}^{\text{!}}$$

$$M$$

$$m^{\sim}\text{!}^{\alpha}\textcircled{E}\textcircled{S}$$







$a^{\alpha^{\circ}\sim 2'}\neg\alpha^{\textcircled{R}}'\equiv\overline{Y}=\wedge^!2^{\cdot}\textcircled{C}\mu^{\textcircled{C}}\mu^2\alpha$
 $\wedge^{\textcircled{R}}\textcircled{R}\mu^{\sim}\textcircled{C}\alpha^{\circ}o-2'\textcircled{C}\textcircled{M}\textcircled{M}\textcircled{R}\textcircled{L}\textcircled{O}\textcircled{M}\textcircled{M}\textcircled{S}$

mroml pb

$q^{\neg}2-\textcircled{I}\textcircled{E}\alpha\equiv\textcircled{C}\textcircled{C}\alpha^{\neg}\textcircled{C}2-'\alpha\textcircled{E}\Delta!2^{\cdot}j\mu^3\textcircled{C}\alpha^{33}\equiv\textcircled{C}\textcircled{E}\Delta!2^{\cdot}\textcircled{C}\mu^{\textcircled{C}}\mu^2\sim\textcircled{C}\textcircled{C}-\neg\textcircled{C}C\equiv\sim\textcircled{C}\textcircled{E}\equiv$

l_gb`qfsbp=

pbosf`b=abifsbov $\nabla$ `efbsbjbkqp







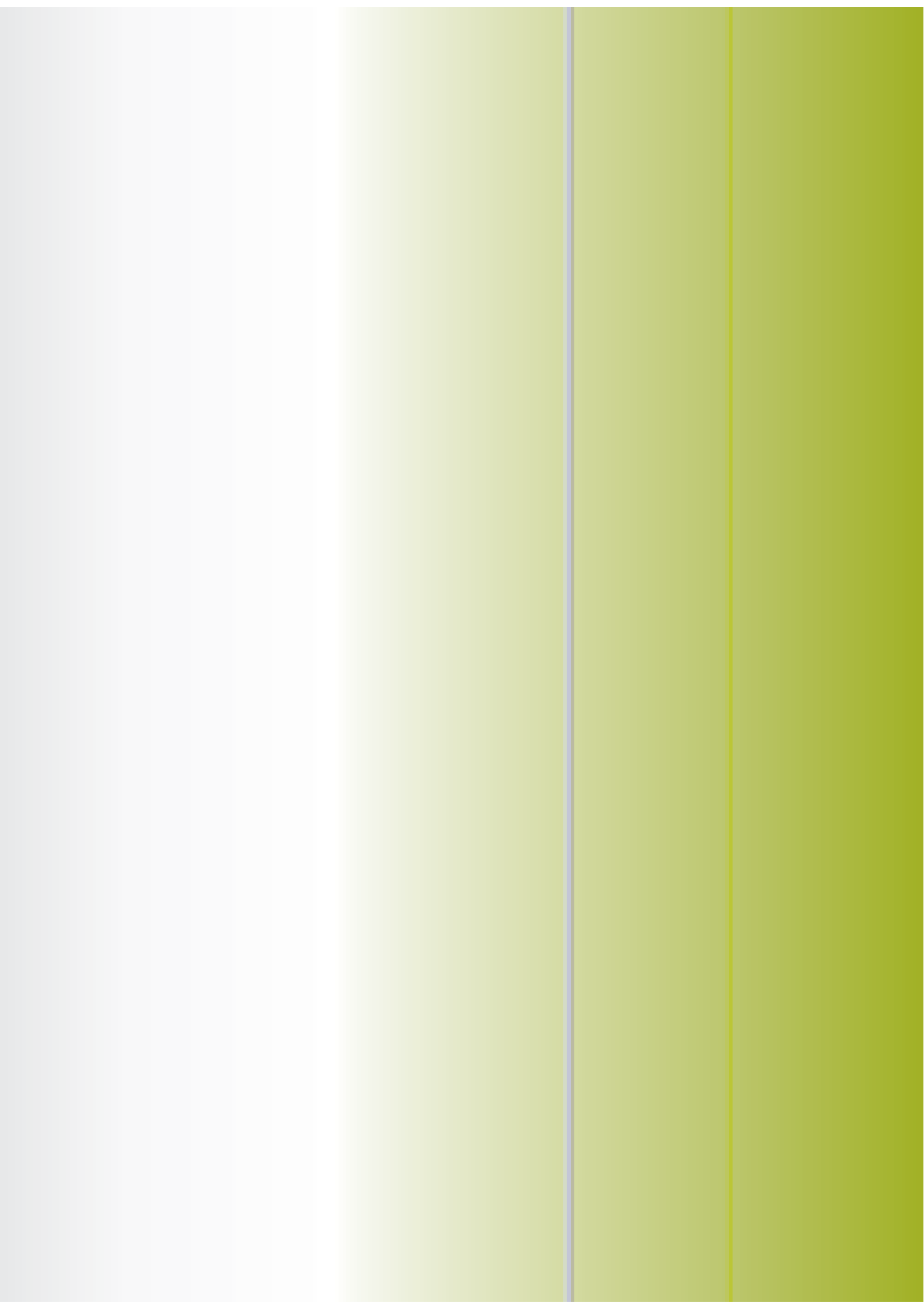
$$\begin{array}{l} a^{\alpha \circ \sim 2'} \neg \alpha @' \equiv \overline{\forall} = \wedge \text{!}^2 \cdot \mathfrak{C} \mu \ll \mu^2 \alpha \\ \wedge @ @ \mu \sim \ll \alpha \circ \sim 2' \notin \text{MMRLOMMS} \end{array}$$



$$\begin{array}{l} a^{\alpha^{\circ} \sim 2'} \neg \alpha @' \equiv \overline{\forall} = \wedge \text{!}^2 \cdot \wp \mu \ll \mu^2 \alpha \\ \wedge @ @ \mu \sim \ll \Rightarrow \alpha^{\circ} \sim 2' \notin \text{MMRLOMMS} \end{array}$$



$$\begin{aligned} a^{\circ} \circ \sim 2' \neg \circ \textcircled{R}' &\equiv \forall \neg \wedge \mid 2'' \textcircled{C} \mu \ll' \mu^2 \circ \\ \wedge \textcircled{R} \textcircled{R} \mu \ll \Rightarrow \circ \neg \sim 2' &\Rightarrow \textcircled{M} \textcircled{M} \textcircled{R} \textcircled{L} \textcircled{O} \textcircled{M} \textcircled{M} \textcircled{S} \end{aligned}$$









$$\begin{array}{l} a \circ \circ^2 \neg \circ \textcircled{R}' \equiv \forall \Rightarrow \mid 2^{\circ} \textcircled{C} \mu \ll \mu^2 \circ \\ \wedge \textcircled{R} \textcircled{R} \mu \sim \Rightarrow \circ \circ^{\circ} 2' \Rightarrow \textcircled{M} \textcircled{M} \textcircled{R} \textcircled{L} \textcircled{O} \textcircled{M} \textcircled{M} \textcircled{S} \end{array}$$

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[illegible]

$$m \sim \frac{1}{\alpha} \neq \text{NNS}$$

$$a^{\alpha \circ \sim 2'} \neg \alpha @' \equiv \forall \neg \wedge \neg \mu \mu^2 \alpha$$

$$\wedge @ \mu \sim \equiv$$

$$a^{\alpha\sim 2'}\neg\alpha@'\equiv\mathbb{V}=\wedge\,^{\prime}{}^2\mathbb{C}\mu\mathbb{C}'\mu^2\alpha$$

$$\wedge @ @ \mu \sim \ll \Rightarrow \alpha^{\circ-2'}\ominus \quad \text{MRLO} \quad \text{MS}$$

$$s\,l\,q\,b\,\varnothing$$

$$j^{\wedge}k^{\wedge}d\,b\,j\,b\,k\,q\Rightarrow b\,m\,l\,o\,q\,\#^{-2}\leq \mathfrak{S}\alpha\leq \alpha\sim^2\mathfrak{a}@ \mathcal{E}\alpha\mathcal{E}\neq \mathcal{P}N=j\sim^2\mathcal{C}\mathfrak{S}\ominus \quad \text{MS}$$

$$a\mu^2 @ | = 0 \quad \text{MRLS}^{\circ} \mathfrak{S} \alpha = a \alpha^{\circ-2'} \neg \alpha @ ' = \mathbb{V} = \wedge \,^{\prime}{}^2 \mathbb{C} \mu \mathbb{C}' \mu^2 \alpha = \mathbb{C}^{\circ} @ \mathcal{E} \mu \mathbb{C}^{\circ} \alpha \mathcal{E} = \wedge \,^{\prime}{}^2 _ b b \leq 2 \sim @ @ | = . \,^{-2} \alpha^3 \mathfrak{S}^{\circ-3} = @ \sim \alpha$$

$$= \mathfrak{Q} \mathfrak{S} \alpha \neq \mu^2 \circ^{-3} \alpha = \mathbb{V} \leq \mathfrak{S} \alpha^3 \alpha = . \,^{-2} \alpha^3 \mathfrak{S}^{\circ-3} = . \, \alpha^2 \alpha \leq \mathfrak{E} \alpha \mathbb{I} \alpha \mathbb{C}^{\circ} \Rightarrow \mathfrak{P} _ \mathfrak{e} = @ \mathbb{V}^2 \neg \alpha \mathcal{E} | \Rightarrow \mathfrak{H} \alpha \mathbb{C}^{\circ} \mathbb{I} \alpha$$

$$\mathbb{C}^{\circ} \neg \quad \Rightarrow \mathfrak{I} \quad \Rightarrow \mathfrak{a} \sim \mathcal{C} \alpha^{23} \mathfrak{S}^{\circ} \lambda \mathbb{C}^{\circ} \neg \quad \Rightarrow \mathfrak{I}^2 _ b b \Rightarrow \mathcal{E} \mathbb{I}^3 \mathfrak{I}^{23} \Rightarrow @ \mathcal{E} \mathbb{I}^3 \neg @ \sim^{23} \Delta \mathfrak{I}^2 _ b b \Rightarrow @^2 \alpha^{\circ 2} \alpha @ \mu^{23}$$

$$m \sim \,^{\prime} \alpha \neq \mathbb{N} \mathbb{U}$$













$$a^{\alpha^{\circ}\sim 2'}\neg\alpha^{\textcircled{R}}\equiv\overline{\mathbb{Y}}=\wedge^{\text{!}2''}\mathfrak{C}\mu\ll'\mu^2\alpha$$

$$\wedge^{\textcircled{R}}\mu\sim\ll\Rightarrow\alpha^{\circ}\overline{^2}'\ominus\text{MMRLOMMS}$$

$$s\,l\,q\,b\neq\emptyset$$

$$\wedge mmo\,l\,mof^{\wedge}qf\,l\,p\,q^{\wedge}q\,b\,j\,b\,k\,q\neq^{-2}\leq\xi\alpha\neq\alpha\sim^2\alpha^{\textcircled{R}}\alpha\xi\neq\text{PN}=j\sim^2\mathfrak{C}\xi\ominus\text{MMS}$$

$$\begin{array}{l} \text{[1] } \alpha \beta \gamma \delta \epsilon \zeta \eta \theta \iota \kappa \lambda \mu \nu \xi \pi \rho \sigma \tau \upsilon \phi \chi \psi \omega \text{[2]} \\ \text{[3] } \alpha \beta \gamma \delta \epsilon \zeta \eta \theta \iota \kappa \lambda \mu \nu \xi \pi \rho \sigma \tau \upsilon \phi \chi \psi \omega \text{[4]} \\ \text{[5] } \alpha \beta \gamma \delta \epsilon \zeta \eta \theta \iota \kappa \lambda \mu \nu \xi \pi \rho \sigma \tau \upsilon \phi \chi \psi \omega \text{[6]} \\ \text{[7] } \alpha \beta \gamma \delta \epsilon \zeta \eta \theta \iota \kappa \lambda \mu \nu \xi \pi \rho \sigma \tau \upsilon \phi \chi \psi \omega \text{[8]} \\ \text{[9] } \alpha \beta \gamma \delta \epsilon \zeta \eta \theta \iota \kappa \lambda \mu \nu \xi \pi \rho \sigma \tau \upsilon \phi \chi \psi \omega \text{[10]} \end{array}$$

$$m\sim^{\text{'}}\alpha\neq\mathbb{N}\text{O}$$

$$a^{\alpha} \circ \sim^2 \neg \alpha @ \equiv \mathbb{Y} = \Delta^1 2 \cdot \mathbb{C} \mu \mu^2 \alpha$$

$$\wedge @ @ \mu \sim \ll \circ \alpha \circ \sim^2 \in \text{OMMRLOMMS}$$

$$\tilde{A}$$





$$a^{\circ \sim 2'} \neg a^{\circ \sim 2'} =$$





$$\begin{array}{l} a^{\alpha^{\circ}\sim 2'}\neg\alpha^{\textcircled{R}}'\equiv\overline{\mathbb{Y}}=\wedge^{\text{!}^2}\mathfrak{C}\mu\lrcorner'\mu^2\alpha\\ \wedge^{\textcircled{R}}\mu\sim\llbracket\Rightarrow\alpha^{\circ}\sim 2'\in\text{MMRLOMMS} \end{array}$$

$$s\quad qb\overline{}$$

$\mathfrak{M}$

$$m\sim\text{!}^{\alpha}\mathbb{N}QO$$

$a^{\alpha \circ \sim 2'} \neg \alpha @' \equiv \overline{y} = \wedge !^2 \cdot \mathbb{C} \mu \langle' \mu^2 \alpha$
 $\wedge @ @ \mu \sim \langle \neg \alpha^{\circ \sim 2'} \neg \ominus \text{MMRLOMMS}$

$s \mid q b \neq \emptyset$

$\sim^3 \S \neg \langle \neg \cdot \cdot \cdot \mathfrak{p} \sim' \alpha \neg \alpha @ \neg \mathbb{F}^2 \neq \S \alpha \neq \alpha \sim^2 \alpha @ \mathcal{E} \alpha \mathcal{E} \neq \mathcal{P} \mathcal{N} = j \sim^2 \mathbb{C} \S \neg \ominus \text{MMS}$

$\wedge^{\text{pe} \neg \text{ci} \mid \text{t} \text{p} \neg \text{co} \mid \text{j}} = \text{Imbo}^{\wedge \text{qfk} \text{d}} \neq \neg \text{qfsfqfbp}$

$\text{oa} \mathbb{C} \alpha^{\sim \alpha' 3}$

$\wedge @ @ \mu \neg \alpha^{\circ} \mu @ \mathcal{E}^2 \neq @ @ \mathbb{F} \text{po} \mathcal{E}$

$\text{p} \neq \mathbb{C}$

$\neq$

$\neq \mathbb{D}$

$\mathbb{F}^2 \text{p} \mathbb{F}^2 =$

$\text{m} \sim' \mid \alpha \neq \mathbb{N} \mathbb{Q} \mathbb{Q}$

$$a^{\alpha \circ \sim 2'} \neg \alpha @' \equiv \overline{\forall} = \wedge \text{!}^2 \cdot \wp \mu \ll \mu^2 \alpha$$

$$\wedge @ @ \mu \sim \ll \alpha \alpha^{\circ \sim 2'} \notin \text{MMRLOMMS}$$



$$\begin{array}{l} a^{\alpha\circ\sim 2'}\neg\alpha\mathbb{Q}'\equiv\overline{\mathbb{Y}}=\wedge^{\textcolor{teal}{1}}2^{\textcolor{teal}{\cdot}}\mathfrak{C}\mu\ll\mu^2\alpha\\ \wedge\mathbb{R}\mathbb{R}\mu\sim\ll\overline{\alpha\alpha^{\circ\sim 2'}}\notin\textcolor{teal}{M}\textcolor{teal}{M}\textcolor{teal}{R}\textcolor{teal}{L}\textcolor{teal}{O}\textcolor{teal}{M}\textcolor{teal}{S} \end{array}$$

$$m\sim^{\textcolor{teal}{1}}_{\textcolor{teal}{1}}\alpha\neq\textcolor{teal}{N}\textcolor{teal}{R}\textcolor{teal}{M}$$

$$\begin{aligned} a^{\alpha\circ\sim 2'}\neg\alpha\mathbb{Q}'\equiv\overline{\mathbb{Y}}\Rightarrow\wedge^!2''\mathfrak{C}\mu\ll'\mu^2\alpha \\ \wedge\mathbb{Q}\mathbb{Q}\mu\sim\ll\Rightarrow\alpha^{\circ\sim 2'}\nexists\text{MMRLOMMS} \end{aligned}$$





$$a^{\alpha\circ\sim 2'}\neg\alpha\textcircled{R}'\equiv\overline{\forall}\Rightarrow\wedge^!2''\wp\mu\ll'\mu^2\alpha$$

$$\wedge\textcircled{R}\textcircled{R}\mu\sim\ll\Rightarrow\alpha^{\circ\sim 2'}\notin\textcircled{M}\textcircled{M}\textcircled{R}\textcircled{L}\textcircled{O}\textcircled{M}\textcircled{M}\textcircled{S}$$

$$a^{\alpha \circ 2'} \neg a^{\alpha'} \equiv \neg a^{\alpha}$$

$$a^{\alpha^{\circ}\sim 2'}\neg\alpha^{\textcircled{R}}'\equiv\overline{\mathbb{Y}}=\wedge^{\text{!}^2}\cdot\wp\mu\ll'\mu^2\alpha$$

$$\wedge^{\textcircled{R}\textcircled{R}}\mu\sim\ll\Rightarrow\alpha^{\circ\sim 2'}\cdot\exists\textcircled{M}\text{M}\text{R}\text{L}\text{O}\text{M}\text{M}\text{S}$$

|°α@°!
 i~°@°α
 N^Δ°2'±OMMR

PNM
 QUT
 NUU
 QN
 N≠UP
 TO
 OPS
 PT
 NNO
 QVU
 OS
 OQP
 RM
 Q≠UP

OM

UQ

NOR
 OOV

$$m\sim^{\text{'}}\alpha\Rightarrow\text{NRV}$$

$$a^{\alpha^{\circ}\sim 2'}\neg\alpha^{\textcircled{R}}'\equiv\mathbb{Y}=\Lambda^{\text{!}2''}\mathfrak{C}\mu\lrcorner'\mu^2\alpha$$

$$\wedge^{\textcircled{R}\textcircled{R}}\mu\sim\llcorner\alpha^{\circ}\neg^2'\equiv\textcircled{M}\textcircled{M}\textcircled{R}\textcircled{L}\textcircled{O}\textcircled{M}\textcircled{M}\textcircled{S}$$

$$s\,l\,q\,b\,\mathfrak{Q}$$

$$\wedge^{\textcircled{R}\textcircled{R}}\mu\sim\llcorner\mathfrak{C}^{\text{''}\textcircled{R}}\sim\textcircled{R}\textcircled{C}^{\text{''}}\sim\llcorner\mathfrak{P}^{\text{'}}\sim\lrcorner'\alpha\lrcorner\alpha^{\textcircled{R}}\text{'3}=\mathfrak{f}^{\text{'2}}\neg\mathfrak{S}\alpha\equiv\alpha^{\text{'2}}\alpha^{\textcircled{R}}\mathfrak{S}\alpha\mathfrak{C}\textcircled{P}\textcircled{N}\equiv\textcircled{j}\neg^2\mathfrak{C}\mathfrak{S}\textcircled{O}\textcircled{M}\textcircled{M}\textcircled{S}$$

$$\mathfrak{Q}k\textcircled{k}b\textcircled{u}r\textcircled{o}\quad\quad=\quad$$

$$m\sim\text{'!}\alpha\mathfrak{A}\textcircled{N}\textcircled{S}\textcircled{M}$$

$$\begin{array}{l} a^{\alpha^{\circ} \sim 2'} \neg \alpha^{\textcircled{R}} \equiv \overline{\forall} = \wedge^{\text{!} \cdot 2} \textcircled{C} \mu^{\text{«}'} \mu^2 \alpha \\ \wedge^{\textcircled{R}} \mu^{\sim \text{«}'} \Rightarrow \alpha^{\circ \sim 2'} \notin \text{MMRLOMMS} \end{array}$$









$$a^{\alpha^{\circ}\sim 2'}\neg\alpha^{\textcircled{R}'}\equiv\overline{\mathbb{Y}}=\wedge^!2^{\cdot}\mathfrak{C}\mu^{\textcircled{r}}\mu^2\alpha$$

$$\wedge^{\textcircled{R}}\textcircled{R}\mu^{\sim\textcircled{R}}\Rightarrow\alpha^{\circ\sim 2'}\neg\ominus\text{MMRLOMMS}$$

eo≡sbopfdeq≡^Λmofi◊MMR≡≡j^Λo^`e◊MMS≡≡i^~o^◊≡^Λ!2^⋅Cμ^rμ^2α
q^_i b◊N≡g^i^bη^~μ^~⊗

i^~o^2^⋅⋅ωE≡i^o^5o^2^⋅⋅UOF=

PQMM

M

M

M

M

M

M

i^~o^2^⋅⋅g^i^o^5o^2^⋅⋅UOF=

p^o^p^2^⋅⋅g^o^i^o^5o^2^⋅⋅W

M

M

M

M

M

i^~o^2^⋅⋅g^_~o^E≡f=

N

M

M

M

M

M

M

i^~o^2^⋅⋅g^_~o^E≡f=

N

M

M

M

M

M

M

p^o^ωE≡i^o^5o^2^⋅⋅PJR

=

w

=

$$a^{\alpha} \sim 2^{\alpha} \neg a^{\beta} \equiv \neg \exists \gamma \wedge \gamma^{\alpha} \mu^{\beta} \mu^{\alpha}$$

$$\begin{aligned} a^{\alpha \circ \sim 2'} \neg \alpha @ \equiv \bar{\forall} \Rightarrow \wedge \text{!}^2 \cdot \wp \mu \ll \mu^2 \alpha \\ \wedge @ \mu \sim \ll \Rightarrow \alpha \circ \sim 2' = \end{aligned}$$

$$a \approx 2' \rightarrow a \approx 2'$$